

# Distributional consequences of conventional and unconventional monetary policy

Marcin Bielecki

Narodowy Bank Polski

Michał Brzoza-Brzezina

Narodowy Bank Polski

Marcin Kolasa

SGH Warsaw School of Economics

Narodowy Bank Polski

SNDE session at ASSA  
San Diego, 3-5 January 2020

# Outline

- 1 Motivation
- 2 Model
- 3 Calibration and fit
- 4 Results
- 5 Conclusions
- 6 Additional slides

# Outline

- 1 Motivation
- 2 Model
- 3 Calibration and fit
- 4 Results
- 5 Conclusions
- 6 Additional slides

# Motivation

- Monetary policy has redistributive effects:
  - via balance sheets (direct effects):  
e.g. surprise inflation redistributes away from owners of nominal assets (Doepke & Schneider 2006)
  - via its macroeconomic impact (indirect effects):  
e.g. higher unemployment after monetary tightening hurts relatively poor HHs (Heathcote et al. 2010; Kaplan et al. 2018)
- But:
  - Unconventional monetary policy less explored (exception: Lenza & Slacalek 2018)
  - Life-cycle dimension of heterogeneity and housing underexploited (exception: Wong 2018)
  - Most studies focus on US

# This paper

- Construct a quantitative life-cycle model of the euro area with a rich asset structure
- Study the distributional consequences of monetary policy
  - Conventional (surprise interest rate shock)
  - Unconventional (imperfectly communicated forward guidance)
- Why a life-cycle GE model?
  - Captures an important (and well documented) dimension of HH heterogeneity
  - Allows to consider both direct and indirect effects
  - Allows to document the crucial difference between initial balance sheet effects and remaining lifetime welfare

# Preview of results

- ① Monetary policy redistributes welfare between age-cohorts
  - ① Monetary expansion benefits young households and hurts old ones
  - ② Both direct and indirect effects matter
  - ③ Nominal asset positions are most important
- ② Conventional policy and forward guidance differ
  - ① Not dramatically
  - ② Depending on ELB
- ③ Welfare redistribution differs a lot from initial balance-sheet effects

# Outline

- 1 Motivation
- 2 Model**
- 3 Calibration and fit
- 4 Results
- 5 Conclusions
- 6 Additional slides

## Model structure: overview

- New Keynesian model with life-cycle features:
  - 80 cohorts of overlapping generations of households (age 20-99)
  - Age-dependent mortality risk
  - Age-specific productivity and labor disutility
  - Age-specific asset structure
- Rigidities: sticky prices, sticky wages, habits, investment adjustment costs
- Monetary policy:
  - Taylor-like rule with unexpected (conventional policy) and expected (forward guidance) deviations
  - Forward guidance imperfectly communicated (Campbell et al. 2019)
  - With or without ELB



# Households

- Maximize expected lifetime utility

$$U_{j,t} = \mathbb{E}_t \sum_{i=0}^{J-j} \beta^i \frac{N_{j+i}}{N_j} \left( \log(c_{j+s,t+s} - \varrho \bar{c}_{j+s,t+s-1}) \right. \\ \left. + \psi_{j+s} \log \chi_{j+s+1,t+s+1} - \phi_{j+s} \frac{h_{j+s,t+s}(\iota)^{1+\varphi}}{1+\varphi} \right)$$

subject to

$$c_{j,t} + p_{\chi,t} [\chi_{j+1,t+1} - (1 - \delta_{\chi}) \chi_{j,t}] + a_{j+1,t+1} = w_t(\iota) z_j h_{j,t} + \frac{R_{j,t}^a}{\pi_t} a_{j,t} + tr_t$$

- Retired households do not work ( $z_j = 0$  for  $j \geq 45$ )
- Financial assets managed by investment funds offering age-specific financial products
- Calvo-type wage stickiness

# Investment funds

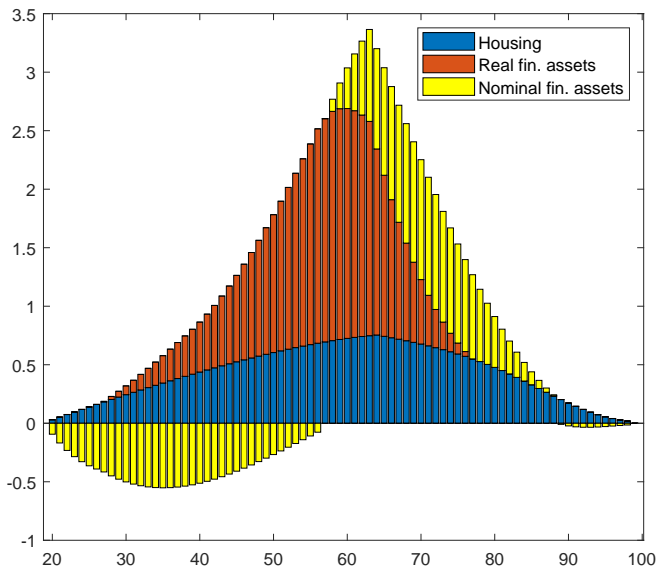
- Manage nominal and real financial assets owned by households
- Maximize expected return on total portfolio
- Distribute ex-post returns to HHs according to age-specific and exogenous portfolio composition

$$R_{j,t}^a = s_{j,t}R_{t-1} + (1 - s_{j,t})R_t^a$$

# HH balance sheet (incl. assets in investment funds)

Assets	Liabilities
Housing stock	Net worth
Real financial assets	Nominal financial liabilities
Nominal financial assets	

# Asset distribution



# Producers

- Final goods aggregated from differentiated intermediate products

$$c_t + i_t + \delta_\chi p_{\chi,t} \chi = \left[ \frac{1}{N_t} \int_0^{N_t} y_t(i)^{\frac{1}{\mu}} di \right]^\mu$$

- Intermediate goods firms produce differentiated products

$$y_t(i) = k_t(i)^\alpha h_t(i)^{1-\alpha} - \Phi$$

- Zero profits in the steady state, Calvo-type price stickiness
- Capital producers are subject to investment adjustment cost

$$k_{t+1} = (1 - \delta)k_t + \left[ 1 - S \left( \frac{i_t}{i_{t-1}} \right) \right] i_t$$

# Monetary policy

- Taylor rule with ZLB

$$R_t = \begin{cases} R_t^{cb} & \text{if } R_t^{cb} > 1 \\ 1 & \text{if } R_t^{cb} \leq 1 \end{cases}$$

$$\frac{R_t^{cb}}{R} = \left( \frac{R_{t-1}}{R} \right)^{\gamma_R} \left[ \left( \frac{\pi_t}{\pi} \right)^{\gamma_\pi} \left( \frac{y_t}{y_{t-1}} \right)^{\gamma_y} \right]^{1-\gamma_R} \exp(\varepsilon_t^R)$$

- Deviations  $\varepsilon_t^R$  can be unexpected or (imperfectly) communicated

# Imperfect communication

- Noisy signal  $\mathbf{s}_t$  about future policy deviations

$$\mathbf{s}_t = \boldsymbol{\varepsilon}_t^R + \mathbf{v}_t$$

where  $\boldsymbol{\varepsilon}_t^R = [\varepsilon_t^R \dots \varepsilon_{t+H}^R]'$

- Kalman updating

$$E_t \boldsymbol{\varepsilon}_t^R = E_{t-1} \boldsymbol{\varepsilon}_t^R + \boldsymbol{\kappa} (\mathbf{s}_t - E_{t-1} \boldsymbol{\varepsilon}_t^R)$$

- Calibration of the Kalman gain matrix based on Campbell et al. (2019)

$$\boldsymbol{\kappa} = \begin{bmatrix} 0.2 & 0 & 0 \\ 0 & 0.6 & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

# Outline

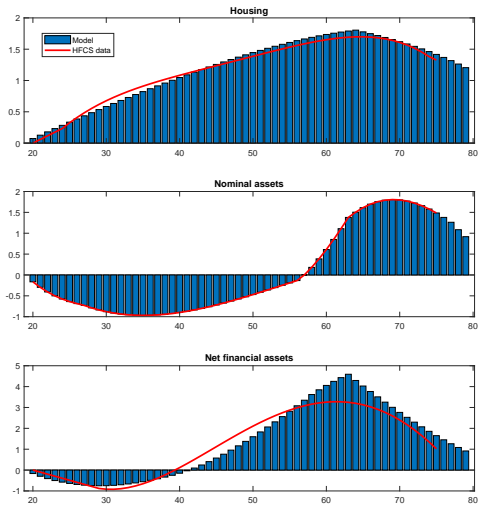
- 1 Motivation
- 2 Model
- 3 Calibration and fit**
- 4 Results
- 5 Conclusions
- 6 Additional slides



# Calibration

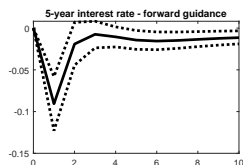
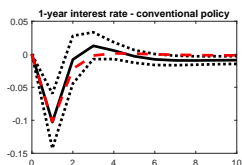
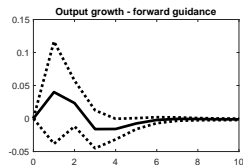
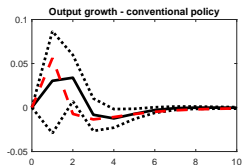
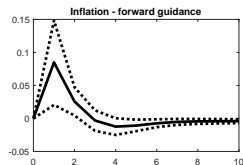
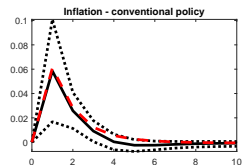
- Standard structural parameters: taken from literature or to match means (including aggregate asset composition)
- Taylor rule parameters: estimated
- Life-cycle features:
  - Demographic data: Eurostat and EUROPOP, period average: 1999-2018
  - Age-specific productivity, hours and asset structure: HFCS (2014)

# Asset structure



# VAR evidence

- Monetary shocks from high-frequency identification
- Source: Altavilla et al. (2019)
- Impulse responses: VAR for EA estimated over 2002-2018



# Outline

- 1 Motivation
- 2 Model
- 3 Calibration and fit
- 4 Results**
- 5 Conclusions
- 6 Additional slides

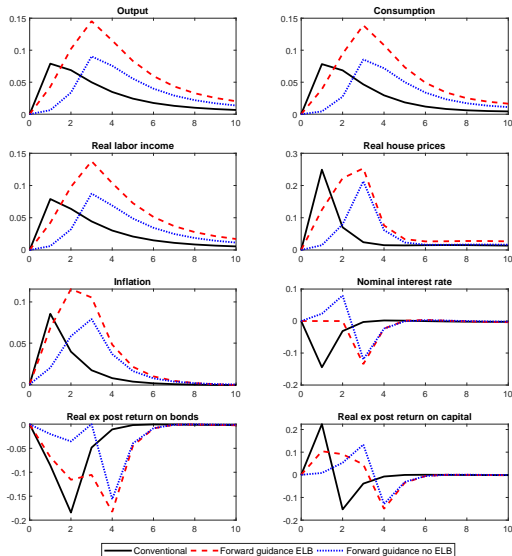
# Overview of simulations

- Monetary shocks:
  - Conventional: unexpected deviation from policy rule (-25 bp)
  - Unconventional (with or without ELB): signal about -25 bp deviation from policy rule, issued 2 years ahead, repeated 1 year ahead, and implemented as announced

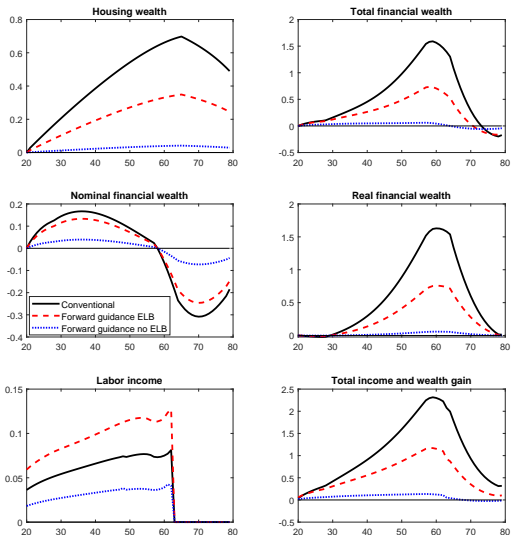
$$s_1 = \begin{bmatrix} 0 \\ 0 \\ -0.0025 \end{bmatrix} \quad s_2 = \begin{bmatrix} 0 \\ -0.0025 \\ 0 \end{bmatrix} \quad s_3 = \begin{bmatrix} -0.0025 \\ 0 \\ 0 \end{bmatrix}$$

- Effects of conventional and unconventional monetary policy:
  - Aggregate effects
  - Balance sheet effects by cohort
  - Impact on remaining lifetime wealth by cohort
  - Impact on welfare by cohort

# Aggregate effects of monetary policy easing



# Balance-sheet and income effects on impact



## Balance sheet vs remaining life-time effects

- What matters for redistribution are price changes of maturing assets (Auclert 2017)
- Asset holdings are mainly driven by life-cycle aspects, less so by price changes
  - Example: even if housing becomes expensive, young households continue accumulating it
- Higher asset prices may not necessarily benefit those who hold them
  - Example: higher house prices are bad for a 40-year old HH despite positive balance sheet effects, because it is in the process of accumulating housing



# Definitions of remaining life-time effects

- House price effect

$$\Gamma_{j,t}^{\chi} = \mathbb{E}_t \sum_{i=0}^{J-j} \beta^i \frac{N_{j+i}}{N_j} (p_{\chi,t+i} - p_{\chi}) [(1 - \delta_{\chi})\chi_{j+i} - \chi_{j+i+1}]$$

- Financial returns effect

$$\Gamma_{j,t}^a = \mathbb{E}_t \sum_{i=0}^{J-j} \beta^i \frac{N_{j+i}}{N_j} \left( \frac{R_{j+i,t+i}^a}{\pi_{t+i}} - \frac{R_{j+i}^a}{\pi} \right) a_{j+i}$$

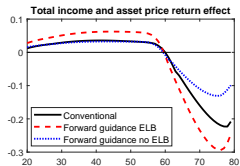
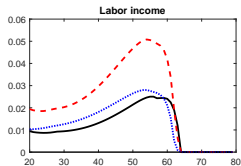
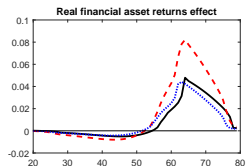
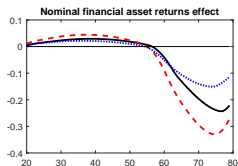
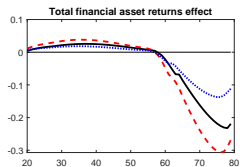
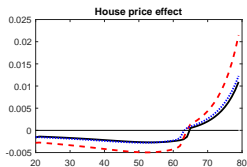
- Labor income effect

$$\Gamma_{j,t}^w = \mathbb{E}_t \sum_{i=0}^{JR-1-j} \beta^i \frac{N_{j+i}}{N_j} (w_{t+i} z_{j+i} h_{j+i,t+i} - w z_{j+i} h_{j+i})$$

- Consumption streams (for normalization)

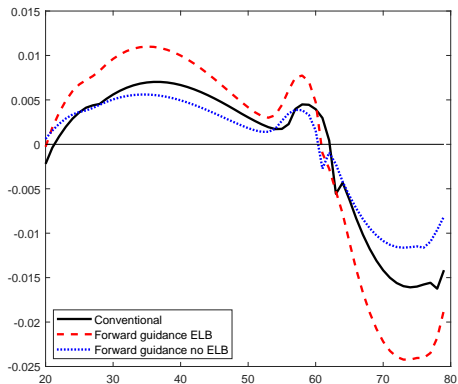
$$\Gamma_j^c = \sum_{i=0}^{J-j} \beta^i \frac{N_{j+i}}{N_j} c_{j+i}$$

# Redistributive effects



# Welfare effects

- Most comprehensive measure
- Captures i.a. negative effect of higher labor supply on utility



# Outline

- 1 Motivation
- 2 Model
- 3 Calibration and fit
- 4 Results
- 5 Conclusions**
- 6 Additional slides

# Conclusions

- ① Monetary policy redistributes welfare between age-cohorts: Monetary expansion benefits young HHs (at the expense of old HHs)
- ② Welfare redistribution differs crucially from initial balance-sheet effects
- ③ Conventional policy and forward guidance differ, but not dramatically
- ④ Forward guidance at ELB can have larger redistributive effects than conventional policy

# Outline

- 1 Motivation
- 2 Model
- 3 Calibration and fit
- 4 Results
- 5 Conclusions
- 6 Additional slides**

# Calibration

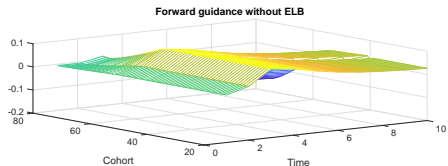
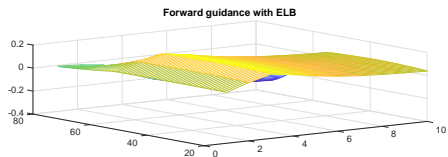
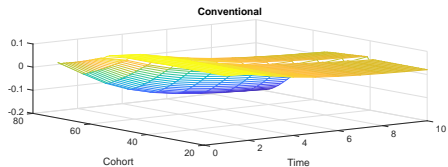
Parameter	Value	Description
$\beta$	0.988	Discount factor
$\varphi^{-1}$	0.5	Frisch elasticity of labor supply
$\varrho$	0.8	Habit persistence
$\delta_X$	0.015	Housing depreciation rate
$\delta$	0.12	Capital depreciation rate
$\alpha$	0.3	Capital share in output
$S_1$	4	Investment adjustment cost curvature
$\mu$	1.2	Product markup
$\theta$	0.2	Calvo probability (prices)
$\mu_w$	1.2	Wage markup
$\theta_w$	0.32	Calvo probability (wages)
$\pi$	1.02	Inflation target
$\gamma_R$	0.41	Interest rate smoothing
$\gamma_\pi$	1.97	Reaction to inflation
$\gamma_y$	0.42	Reaction to GDP growth

# Asset structure

- Aggregate data from financial and non-financial balance sheets (Eurostat, % of GDP w/o government expenditures):
  - Housing stock (170% GDP)
  - Nonresidential fixed assets (230% GDP)
  - HH loans / deposits (84% GDP)
- Age profiles from HFCS:
  - Housing = HH main residence + other non-business real estate property
  - Fixed assets = HH business wealth + non self-employment private business + shares + bonds + mutual funds
  - Nominal assets = deposits – mortgage loans – non-mortgage loans. Positive part adjusted proportionally so that net supply is zero



# Impact on allocations: consumption



# Impact on allocations: housing

